
















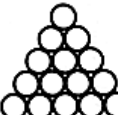



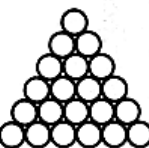
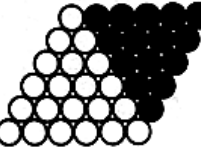




## UNDERLYING ORDER IN RANDOMNESS

No. of Events	Conceptuality of number of most economical relationships between events or minimum number of inter-connections of all events	No. of Relationships $\frac{n^2 - n}{2}$	Closest packed, symmetrical and most economical conceptual arrangement of number relationships.	Sum of Adjacent Relationships $(n-1)^2$	Conceptuality in closest packed Symmetry Note: This occurs as $\diamond$ "diamonds" and not as $\square$ "squares".	Sum of Experiences or of Events Is Always Tetrahedral
1		0				
2	 AB	1		$0 + 1 = 1$		
3	 AB, BC, AC	3		$1 + 3 = 4$		
4	 AB, BC, CD, AC, BD, AD	6		$3 + 6 = 9$		
5		10		$6 + 10 = 16$		
6		15		$10 + 15 = 25$		
7		21		$15 + 21 = 36$		
7	 <small>Same number of events could be in random array but minimum total of relationships are same in number.</small>	21				

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Table 227.01 Underlying Order in Randomness.