

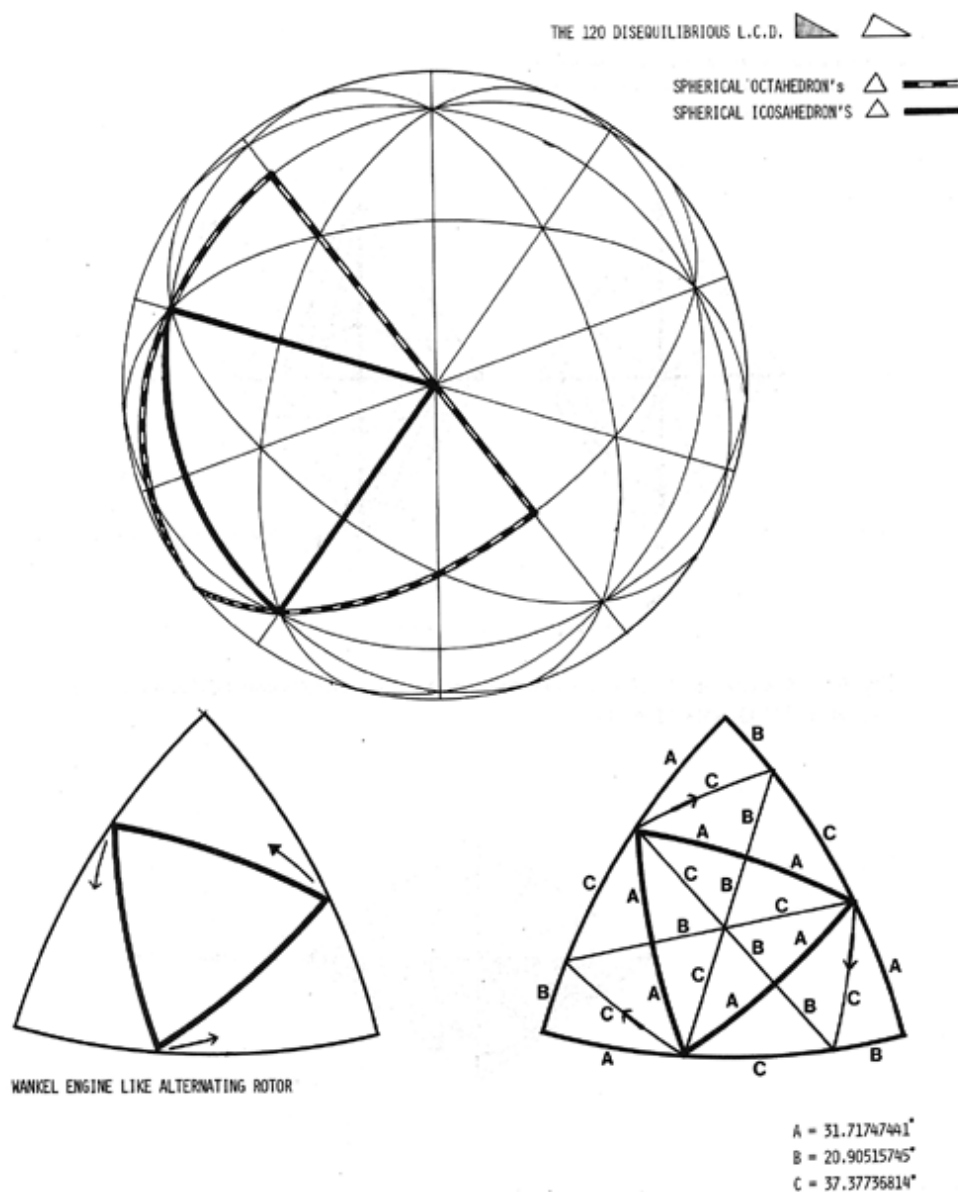


Fig. 901.03 The Basic Disequilibrium 120 LCD Triangle:

12 vertexes surrounded by 10 converging angles $12 \times 10 = 120$

20 vertexes surrounded by 6 converging angles $20 \times 6 = 120$

30 vertexes surrounded by 4 converging angles $30 \times 4 = 120$

360 converging
angles

The 360 convergent angles must share the 720° reduction from absolute sphere to chorded sphere: $720/360 = 2^\circ$ per each corner; 6° per each triangle.

All of the spherical excess 6° has been massaged by the irreducibility of the 90° and 60° corners into the littlest corner. $\therefore 30 \rightarrow 36$.

In reducing 120 spherical triangles described by the 15 great circles to planar faceted polyhedra, the spherical excess 6° would be shared proportionately by the 90° - 60° - 30° flat relationship = 3:2:1.

The above tells us that freezing 60-degree center of the icosahedron triangle and sharing the 6-degree spherical excess find A Quanta Module angles exactly congruent with the icosahedron's 120 interior angles.